

Kinetics of electromagnetic field in nonequilibrium medium of emitters

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This work is a generalization of previous investigations of two-level emitters kinetics with the purpose to consider electromagnetic field as a nonequilibrium subsystem. Emitters of the system are considered as located in space identical particles with dipole moments and can be in excited state with energy $\hbar\omega$. Hamilton operator of the system we take in the Dicke quasi-spin formalism

$$\hat{H} = \hbar\omega \sum_a \hat{r}_{az} + \sum_k \hbar\omega_k c_{k\alpha}^+ c_{k\alpha} + \frac{\omega}{c} \int d^3x \hat{P}_l(x) \hat{A}_l(x)$$

(see, for example, [1]). Here $\hat{P}_l(x) = 2 \sum_a d_{al} \hat{r}_{ax} \delta(x - x_a)$ is density of dipole moment of emitters, \hat{r}_{al} is quasi-spin operator, $\hat{A}_l(x)$ is operator of vector potential of electromagnetic field in the Coulomb gauge. So, we neglect by direct emitter-emitter interaction. Our consideration is based on the Bogolyubov reduced description method. As reduced description parameters (RDP) we took average electric and magnetic fields, their binary correlations : $E_l(x, t), B_l(x, t), (E_l^x E_n^{x'})_t, (E_l^x B_n^{x'})_t, (B_l^x B_n^{x'})_t$ (variables γ_α) and energy density of emitters $\varepsilon(x, t)$ (its operator $\hat{\varepsilon}(x) = \hbar\omega \sum_a \hat{r}_{az} \delta(x - x_a)$). Quasi-equilibrium statistical operator (QESO) of the system was taken in the form $\rho_q = \rho_f(\gamma) \rho_m(\varepsilon) w_d w(\omega)$, where $\rho_f(\gamma)$ is QESO of the field, $\rho_m(\varepsilon) w_d$ is QESO of the emitters (w_d is distribution emitters in space and dipole directions). Also we included in ρ_q distribution function of emitters in frequencies $w(\omega) = [(\omega - \omega_0)^2 + \delta^2]^{-1} \delta/\pi$ to take into account nonresonance interaction of emitters with the field. Therefore, statistical operators of the system must be normalized by formulae a type $\int d\tau d\omega \text{Sp} \rho_q = 1$, where $d\tau$ denotes integration over variables of distribution w_d . As a result evolution equations for RDP have been obtained and analyzed.

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1. Bogolyubov N.N. (jr.), Shumovsky A.S. *Superradiance.*– Dubna: JINR, 1987, 88 p. (in Russian).